

World Productivity: 1995-2014

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With Mehrdad Esfahani and Bart Hobijn

(first part draws on work with others)

June 2019

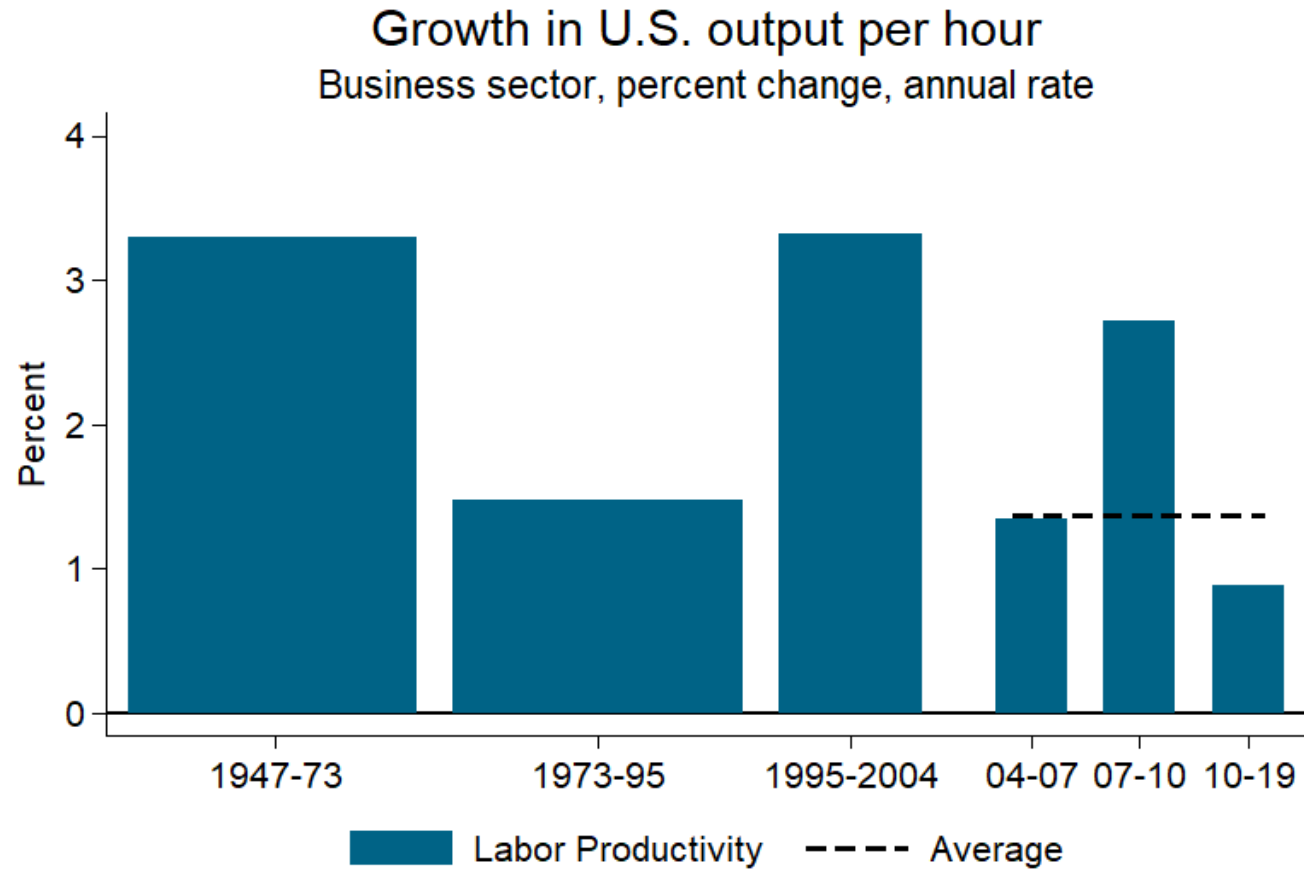
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Big questions

- Why has advanced-economy productivity growth been so modest?
 - Fernald (2014): Slower pace of U.S. IT revolution, not the Great Recession
 - Cetty et al (2016): Other advanced economies have been falling behind U.S. since the mid-1990s
- What about the world as a whole?
 - Rise of emerging markets helped sustain global labor productivity growth until 2010
 - Labor growing faster in low-wage locations => a drag on world productivity growth
 - Markups and rising misallocation not reason for slower productivity growth

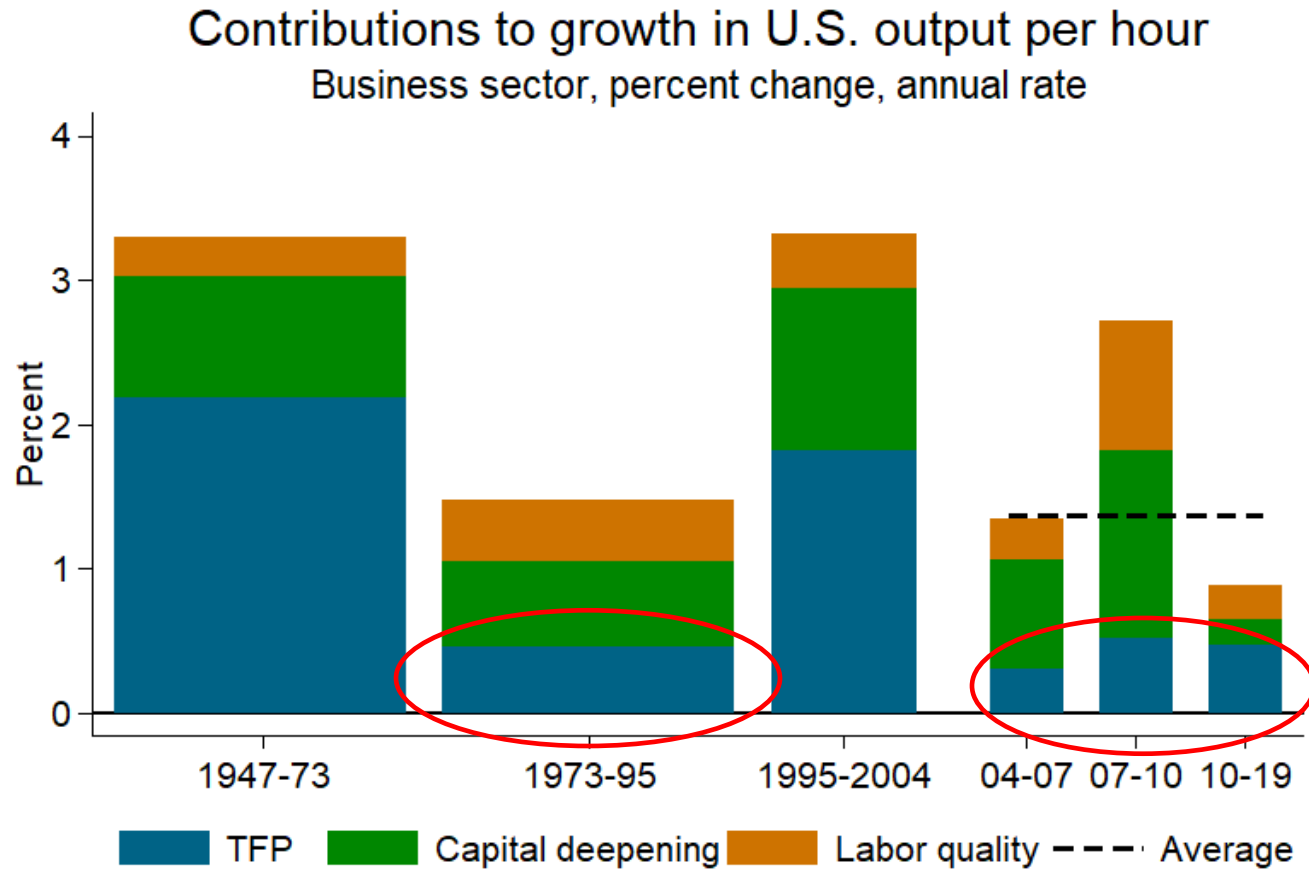
United States

U.S. productivity growth modest for most of past half century



Source: Fernald (2014a). Quarterly; samples end in Q4 of years shown except 1973 and 2019 (end Q1).

U.S. TFP growth modest for most of past half century



Source: Fernald (2014a). Quarterly; samples end in Q4 of years shown except 1973 and 2019 (end Q1).
Capital deepening is contribution of capital relative to quality-adjusted hours. Total factor productivity measured as a residual.

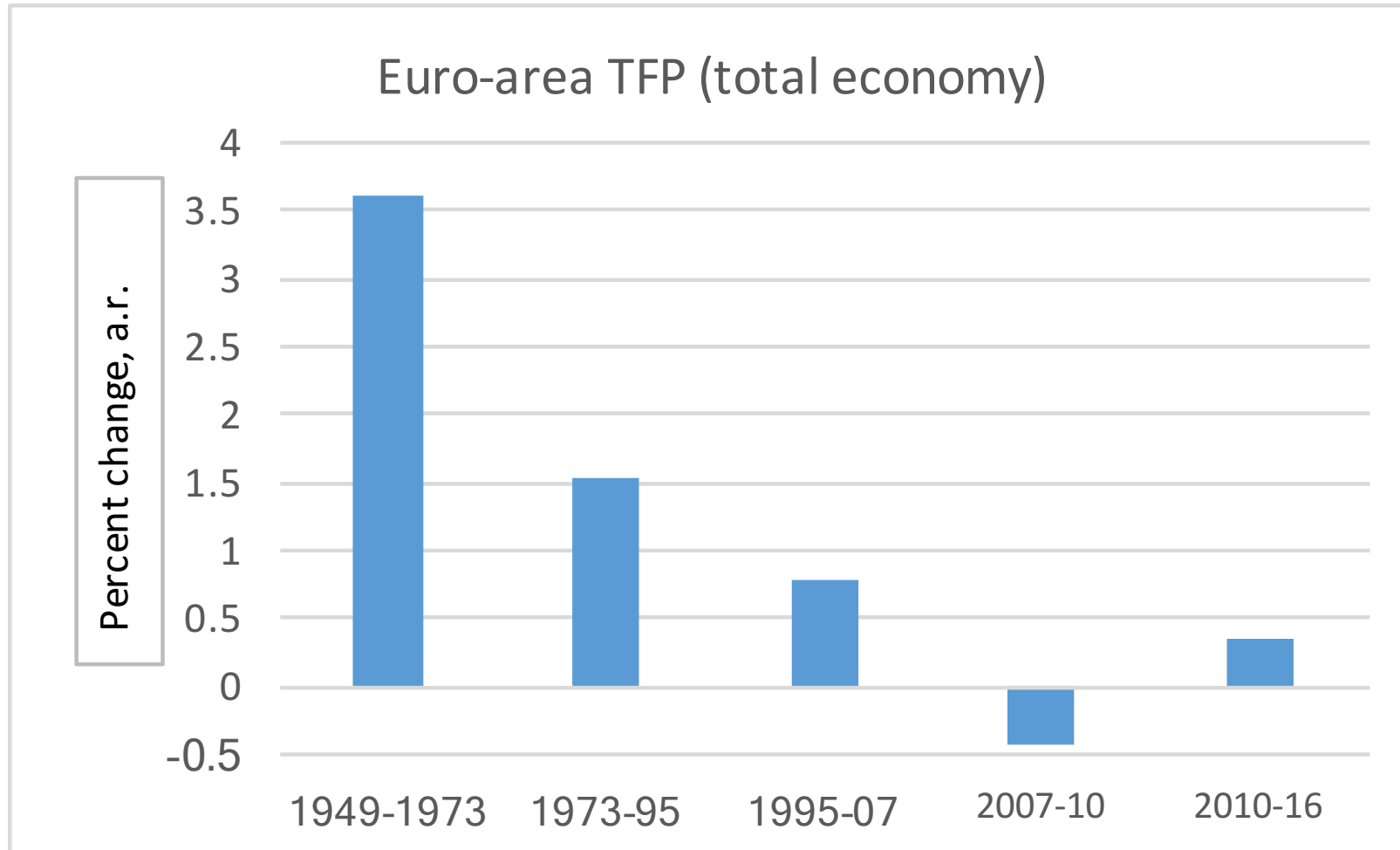
Stories for slow U.S. productivity growth

- Return to “normal” after exceptional IT-linked decade?
 - Unusual period in past half century was late 1990s/early 2000s (Gordon 2016; Fernald 2015)
 - Every story at time emphasized transformative role of IT
- Recession?
 - Intuitive that innovation might fall in recessions (e.g., Anzotegui et al, 2019)
 - But TFP and labor productivity slowed earlier
 - Pre-recession recognition—e.g., Oliner, Sichel, and Stiroh (2007); Jorgenson, Ho, and Stiroh (2008), Fernald et al. (2007)
- Regulation/lack of dynamism?
 - Timing doesn’t work for post-2008 regulation.
 - No apparent link between industry TFP growth and industry-specific regulation (Fernald, Hall, Stock, Watson 2017)
- Mismeasurement got worse?
 - Always had mismeasurement. Little evidence it is worse now (Byrne et al, 2016, Syverson, 2016)

Stories for slow U.S. productivity growth

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Falling Euro-area TFP growth



Source: Bergeaud, Cette, and Lecat 2017 (total economy).

Lessons from advanced economies

- Widespread (across countries and industries) pre-Great-Recession slowdown in TFP growth

Trends and themes that could be relevant

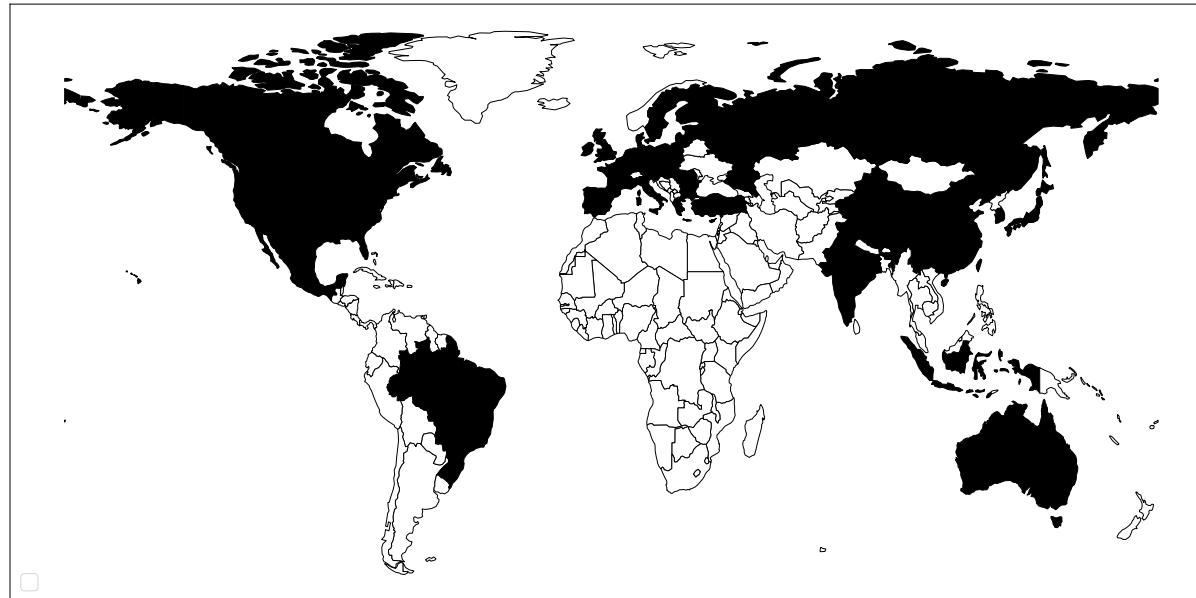
- Rise of the global economy (especially China and India)
- Body of work suggests rising markups/pure profits
 - E.g., De Loecker and Eeckhout (2018); Barkai (2017)
 - With markups, variations in input use (and input-output linkages) affect measured TFP growth
- Misallocation of resources can affect aggregate output
 - E.g., Hsieh-Klenow (2009)

World Productivity: 1996-2014

(with Esfahani and Hobijn)

World Input-Output Dataset allows global growth accounting

- 40 countries x 36 industries for 1995-2014 (80% of world GDP)
 - Combine two vintages (2013 and 2016) of WIOD
 - Focus on qualitative results common across vintages
- Have labor productivity and TFP (with some work to extend capital)
- Decompose aggregate productivity into country-industry sources
 - Build on long literature (e.g., Hulten, 1978; Jorgenson et al 1987; Basu and Fernald, 2001,2002)



Setup

- Each country-industry i has a production function.

$$Y_i = F_i \left(K_i, L_i, \{M_{i,j}\}_{j=1}^n, Z_i \right)$$

- Distortions: Factor-specific taxes, output taxes, and markup $1 + \mu_i \equiv (\text{Price}/\text{MC})$
- Cost-minim. F.O.C.s imply, e.g.

$$(1 + \mu_i) W_i = P_i \frac{\partial Y_i}{\partial L_i}$$

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$$(1 + \mu_i) W_i = P_i \frac{\partial Y_i}{\partial L_i}$$

$$\Rightarrow (1 + \mu_i) \frac{W_i L_i}{P_i Y_i} = \frac{\partial Y_i}{\partial L_i} \frac{L_i}{Y_i}$$


$$\tilde{s}_i^L$$

Growth accounting: Output growth depends on growth in inputs and technology

$$Y_i = F_i \left(K_i, L_i, \{M_{i,j}\}_{j=1}^n, Z_i \right)$$

- Differentiating production function logarithmically and inserting F.O.C.s implies “Hall (1990) equation”

$$\dot{y}_i = (1 + \mu_i) \left(\tilde{s}_i^K \dot{k}_i + \tilde{s}_i^L \dot{l}_i + \sum_j \tilde{s}_{i,j}^M \dot{m}_{i,j} \right) + \dot{z}_i$$

Industry value added in presence of markups

- Country-industry value added growth is

$$\dot{v}_i = \frac{P_i Y_i}{P_i^V V_i} \left[\dot{y}_i - \sum_j s_{i,j}^M \dot{m}_{i,j} \right]$$

- Can rewrite gross output growth as

$$\dot{y}_i \equiv \left(\frac{\mu_i}{1 + \mu_i} \right) \dot{y}_i + \left(\frac{1}{1 + \mu_i} \right) \dot{y}_i$$

Substitute Hall equation here

- Plug into value-added definition

$$\dot{v}_i = s_i^K \dot{k}_i + s_i^L \dot{l}_i + \left(\frac{P_i}{1 + \mu_i} \frac{Y_i}{P_i^V V_i} \right) \dot{z}_i + \frac{P_i Y_i}{P_i^V V_i} \left(\frac{\mu_i}{1 + \mu_i} \right) \dot{y}_i$$

Markups lead to “extra” value added above contribution of K and L

Aggregation over country-industries

- Aggregate output is value-added-weighted growth in country-industry value added

$$\dot{v} = \sum_i s_i^V \dot{v}_i, \text{ where } s_i^V \equiv \frac{P_i^V V_i}{PV}$$

Definition of aggregate TFP

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

TFP growth is output growth minus share-weighted input growth

Plugging in for country-industry value added (**no-markup case**)

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

“Pure technology”: Domar-weighted aggregate of country-industry TFP growth (Hulten 1978)

$$= \sum_i s_i^D \dot{z}_i$$

$$+ \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l})$$

Misallocation terms
(Jorgenson et al, 1987)

$$s_i^D = \frac{P_i Y_i}{P^V V} = \text{“Domar weight”}$$

Plugging in for country-industry value added (no-markup case)

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Changes in misallocation of capital

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Misallocation terms
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Changes in misallocation of labor

$$s_i^D = \frac{P_i Y_i}{P^V V} = \text{“Domar weight”}$$

Markups create an additional term

$$t\dot{f}p = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

$$\begin{aligned} &= \sum_i \frac{1}{(1 + \mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1 + \mu_i)} \dot{y}_i \\ &+ \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) \end{aligned}$$

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Markups create an additional term

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

“Pure technology”: Modified Domar weights

$$\begin{aligned} &= \sum_i \frac{1}{(1 + \mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1 + \mu_i)} \dot{y}_i \\ &+ \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) \end{aligned}$$

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Markups create an additional term

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

Impact of markups on measured value added growth

$$= \sum_i \frac{1}{(1 + \mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1 + \mu_i)} \dot{y}_i + \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l})$$

$$s_i^D = \frac{P_i Y_i}{P^V V} = \text{“Domar weight”}$$

NB: With markups/frictions, decomposition is not unique

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l}$$

$$\begin{aligned} &= \sum_i \frac{1}{(1 + \mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1 + \mu_i)} \dot{y}_i \\ &+ \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) \end{aligned}$$

- Basu and Fernald (2001, 2002): With imperfect competition, social value of industry output depends on who buys it (allocation)
- Expression above isolates different “wedges” (frictions).
 - Baqaee and Fahri (2018) prefer a different aggregation equation, but they have a recent 2019 paper with exactly our expression

ALP growth = Output per hour growth

$$\dot{alp} = \dot{v} - \dot{l}$$

Country-industry-specific labor productivity growth

$$\dot{alp} = \dot{v} - \dot{l}$$

$$= \sum_i s_i^V \dot{alp}_i$$

$$+ \sum_i s_i^V (\dot{l}_i - \dot{l})$$

Country-industry specific ALP growth

Reallocation of labor across countries and industries with different levels of labor productivity

Can separate out labor misallocation term

$$\dot{alp} = \dot{v} - \dot{l}$$

$$= \sum_i s_i^V \dot{alp}_i + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) + \sum_i s_i^V (1 - s_i^L) (\dot{l}_i - \dot{l})$$

Net out misallocation-of-labor term from overall reallocation

World ALP is volatile, but country-industry ALP growth much smoother



World ALP growth is world value-added growth less world growth in hours. Country-industry growth is value-added-weighted growth in country-industry ALP growth.

Country-industry composition shifting towards emerging markets

CONTRIBUTIONS TO WORLD ALP GROWTH (P.P. PER YEAR)

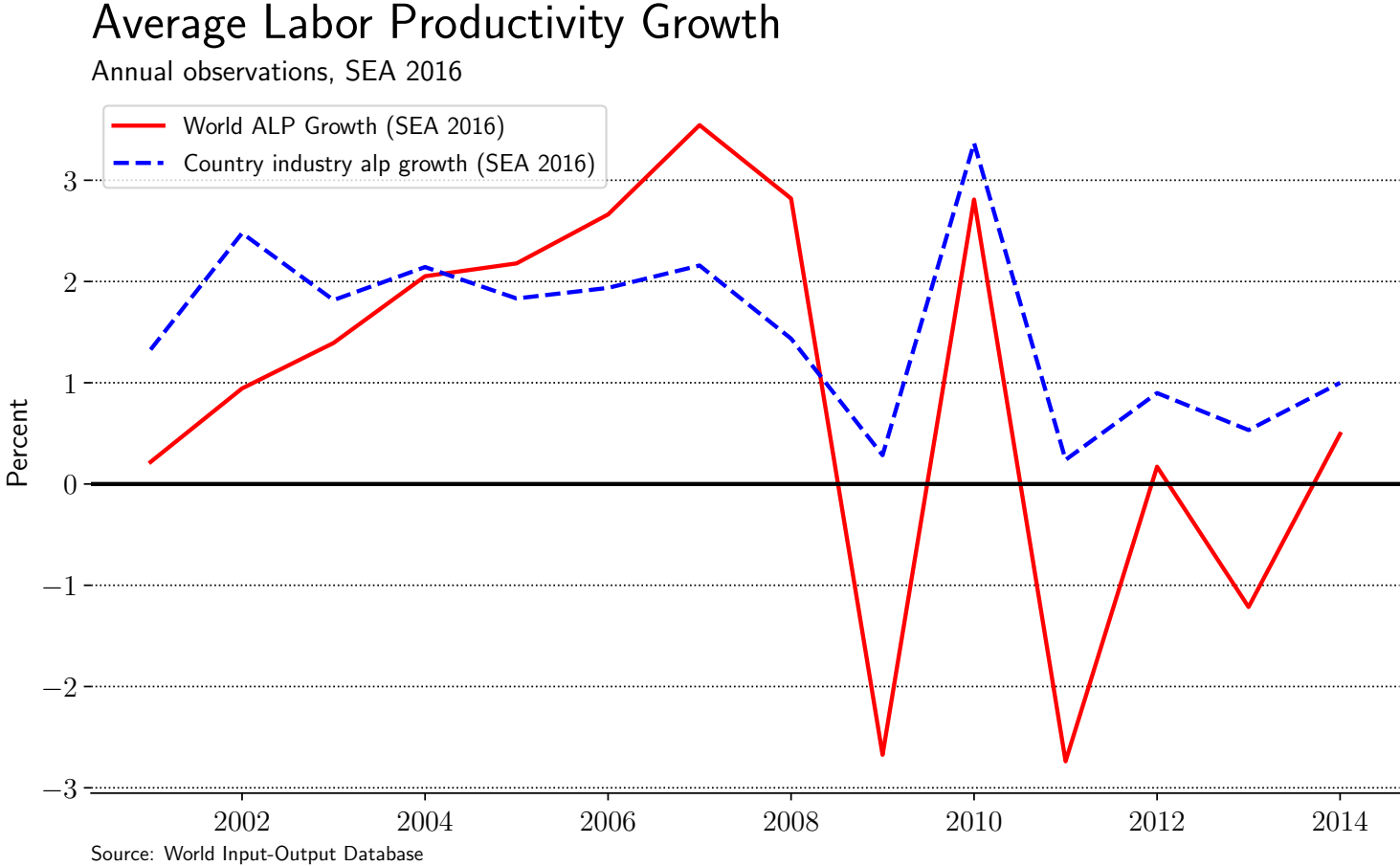
	1996- 2000	2001- 2004	2005- 2007	2008- 2010	2011- 2014
Country-industry total	2.14	2.11	2.20	1.70	0.67
ADVANCED	1.56	1.68	1.05	0.53	0.26
US	0.75	1.01	0.42	0.54	0.00
non-US	0.81	0.67	0.63	-0.01	0.26
EMERGING	0.58	0.43	1.15	1.17	0.41
China	0.30	0.28	0.53	0.65	0.59
India	0.06	0.02	0.17	0.12	-0.11
Other	0.22	0.13	0.45	0.40	-0.07

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Labor “misallocation”: Does reallocating labor change output?

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Net out misallocation of labor term from overall reallocation

Labor “misallocation”: Does reallocating labor change output?

$$\sum_i s_i^V s_i^L (\dot{l}_i - \dot{l})$$

- Suppose fixed aggregate L , K , and distribution of K_i . If redistribute L_i :

$$\begin{aligned} \dot{v} &= \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) = \sum_i \left(\frac{\cancel{P_i^V V_i}}{PV} \right) \left(\frac{\cancel{W_i L_i}}{\cancel{P_i^V V_i}} \right) \frac{dL_i}{\cancel{L_i}} - \left(\frac{\sum_i W_i L_i}{PV} \right) \cancel{\dot{l}} \\ &= \left(\frac{1}{PV} \right) \sum_i W_i dL_i \end{aligned}$$

Labor “misallocation”: Does reallocating labor change output?

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- Suppose fixed aggregate L , K , and distribution of K_i . But distribution of L_i changes:

$$\begin{aligned} \dot{v} &= \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) = \sum_i \left(\frac{P_i^V V_i}{PV} \right) \left(\frac{W_i L_i}{P_i^V V_i} \right) \frac{dL_i}{L_i} - \left(\frac{\sum_i W_i L_i}{PV} \right) \dot{l} \\ &= \left(\frac{1}{PV} \right) \sum_i W_i dL_i \end{aligned}$$

- Suppose 2 producers, with $dL_1 = -dL_2$

$$dV = \left(\frac{W_1 - W_2}{P} \right) dL_1$$

Large part of World ALP growth volatility is labor misallocation

$$\begin{aligned} \dot{alp} &= \dot{v} - \dot{l} \\ &= \sum_i s_i^V \dot{alp}_i + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l}) + \sum_i s_i^V (1 - s_i^L) (\dot{l}_i - \dot{l}) \end{aligned}$$

Period	1996 -2000	2001 -2004	2005 -2007	2008 -2010	2011 -2014
World ALP growth	2.15	0.07	3.31	0.98	-0.82
Country-industry total	2.14	2.11	2.20	1.70	0.67
Misallocation	-0.01	-1.34	0.50	-0.36	-0.97
Other reallocation	0.03	-0.70	0.61	-0.35	-0.51

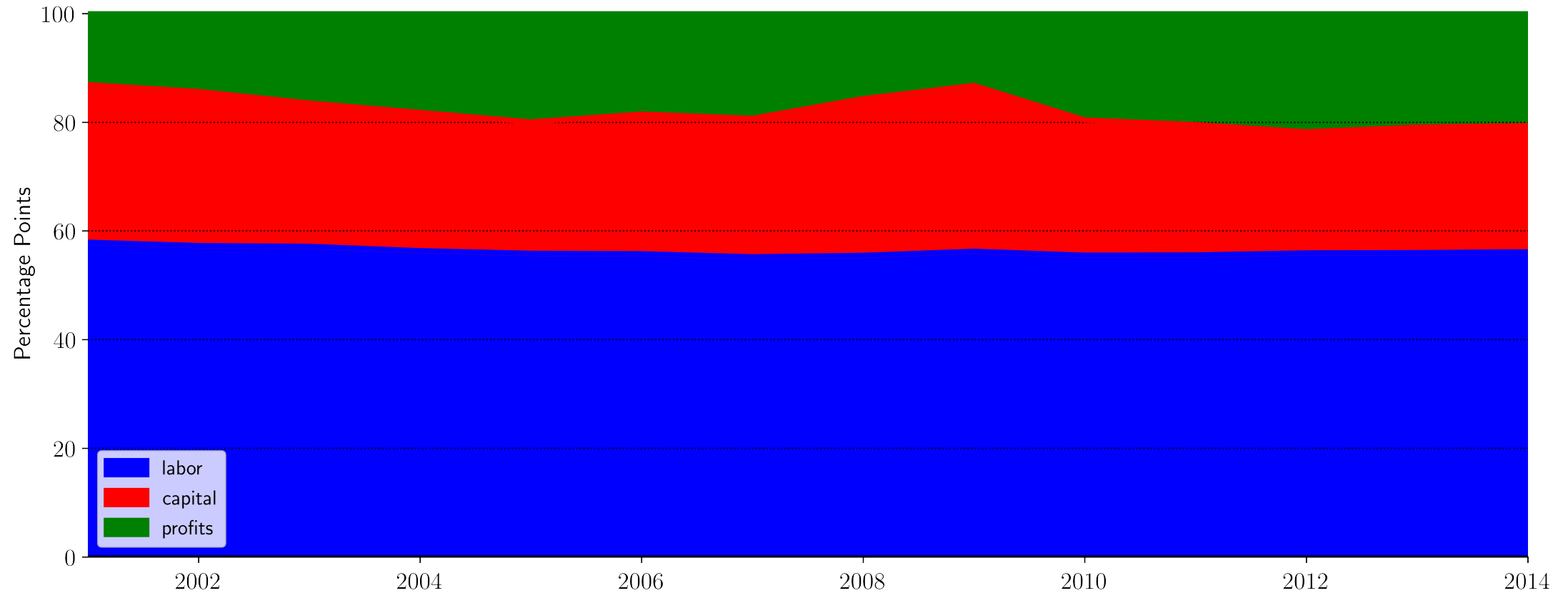
Decomposing further requires markup estimates

- Approach: Assume external nominal “required return” in user cost equation
 - Hall & Jorgenson (1969), Hall (1990), Basu-Fernald (1997), Barkai (2016), Karabarbounis & Neiman (2018)
 - For now: U.S. BBB rate
- Allows us to decompose “residual” payments to capital $(1 - s_i^L)$ into required payments to capital (s_i^K) and pure economic profits. (With CRS), get markups
- Note: Karabarbounas and Neiman (2018) argue that this “profits” term could also reflect risk premia in the user cost, or else intangible capital

Profits are a sizeable (and rising) share of value added

World Factor Shares

Annual observations, 2016 vintage of WIOT



Source: World Input-Output Database

Global growth accounting

$$\begin{aligned}
 tfp = \dot{v} - s^K \dot{k} - s^L \dot{l} = & \sum_i \frac{1}{(1+\mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1+\mu_i)} \dot{y}_i \\
 & + \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l})
 \end{aligned}$$

	96-00	01-04	05-07	08-10	11-14
World GDP growth	3.33	2.51	3.70	0.91	2.56
World capital growth	0.79	0.74	0.80	0.75	0.63
World hours growth	0.71	1.44	0.23	-0.04	1.89

World TFP growth is volatile

$$\begin{aligned}
 \dot{tfp} = \dot{v} - s^K \dot{k} - s^L \dot{l} = & \sum_i \frac{1}{(1+\mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1+\mu_i)} \dot{y}_i \\
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World TFP growth	1.84	0.32	2.67	0.19	0.04

No slowdown in country-industry TFP growth before 2007

$$\begin{aligned}
 \dot{tfp} = \dot{v} - s^K \dot{k} - s^L \dot{l} &= \sum_i \frac{1}{(1+\mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1+\mu_i)} \dot{y}_i \\
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Country-industry TFP growth	1.13	1.25	1.17	0.03	0.18

Markups important but do not explain slowdown

$$tfp = \dot{v} - s^K \dot{k} - s^L \dot{l} = \sum_i \frac{1}{(1+\mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1+\mu_i)} \dot{y}_i$$

$$+ \sum_i s_i^V s_i^K (\dot{k}_i - \dot{k}) + \sum_i s_i^V s_i^L (\dot{l}_i - \dot{l})$$

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Country-industry TFP growth	1.13	1.25	1.17	0.03	0.18
Shifts in markups	0.51	0.39	0.94	0.29	0.59

Changing misallocation of hours bulk of TFP volatility

$$\begin{aligned}
 tfp = \dot{v} - s^K \dot{k} - s^L \dot{l} = & \sum_i \frac{1}{(1+\mu_i)} s_i^D \dot{z}_i + \sum_i s_i^D \frac{\mu_i}{(1+\mu_i)} \dot{y}_i \\
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Country-industry TFP growth	1.13	1.25	1.17	0.03	0.18
Shifts in markups	0.51	0.39	0.94	0.29	0.59
Misallocation of capital	0.21	0.03	0.06	0.24	0.24
Misallocation of hours	-0.01	-1.34	0.50	-0.36	-0.97

Country-industry TFP growth robust to markups

	<u>With markups</u>					<u>No markups</u>				
	1996- 2000	2001- 2004	2005- 2007	2008- 2010	2011- 2014	1996- 2000	2001- 2004	2005- 2007	2008- 2010	2011- 2014
World TFP growth	1.84	0.32	2.67	0.19	0.04	1.65	0.13	2.21	-0.23	-0.51
Country-industry total	1.13	1.25	1.17	0.03	0.18	0.91	1.18	1.28	-0.17	0.19
Shifts in markups	0.51	0.39	0.94	0.29	0.59	--	--	--	--	--
Misallocation of capital	0.21	0.03	0.06	0.24	0.24	0.76	0.28	0.43	0.30	0.28
Misallocation of labor	-0.01	-1.34	0.50	-0.36	-0.97	-0.01	-1.34	0.50	-0.36	-0.97

Takeaways

- Advanced economy productivity slowed before the Great Recession
 - Will growth pick up? Population is aging, educational attainment adding less, and cyclical boost is behind us...
- Emerging market rise helped maintain global productivity growth for a while
 - Broadening slowdown after 2007 (2010 with labor productivity)
 - Need better data for China and India
- Misallocation of labor and markups important but can't explain slowdown
 - Around half a percentage point of productivity growth may reflect shifting markups
 - Volatility of labor misallocation major source of world productivity volatility
 - (Only partially explained by cost differences across countries)